

1. Find the sum of $2n$ terms of the series: $1^2 - 2^2 + 3^2 - 4^2 + 5^2 - 6^2 + \dots$
2. If S_n denotes the sum of n terms of an A.P. whose common difference is d , show that $d = S_n - 2S_{n-1} + S_{n-2}$
3. Find the sum of all three – digit numbers each of which leaves the remainder 2, when divided by 3.
4. If $a_1, a_2, a_3, \dots, a_n$ are consecutive terms of an A.P., then prove that
$$\frac{1}{a_1 a_2} + \frac{1}{a_2 a_3} + \dots + \frac{1}{a_{n-1} a_n} = \frac{n-1}{a_1 a_n}$$
5. The angles of a quadrilateral are in A.P. The greatest angle is double the least. Find all four angles.
6. If a_m, a_{m+n} and a_{m-n} are respectively the m^{th} , $(m+n)^{th}$ and $(m-n)^{th}$ term of an A.P., then prove that $a_{m+n} + a_{m-n} = 2 a_m$.
7. Show that the sum of an A.P. whose first term is a , the second term b and the last term c , is equal to $\frac{(a+c)(b+c-2a)}{2(b-a)}$
8. Find a, b and c such that the following numbers are in A.P. : $a, 7, b, 23, c$
9. Determine k so that $k^2 + 4k + 8, 2k^2 + 3k + 6$ and $3k^2 + 4k + 4$ are three consecutive terms of an A.P.
10. Find the sum: $\frac{a-b}{a+b} + \frac{3a-2b}{a+b} + \frac{5a-3b}{a+b} + \dots$ to 11 terms.
11. A thief runs away from a police station with a uniform speed of 100m/minute. After one minute a policeman runs behind the thief to catch him. He goes at a speed of 100 m/minute in first minute and increases his speed 10 m each succeeding minute. After how many minutes, the policeman will catch the thief?